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**REU**

**WEEK 8 PRESENTATION**



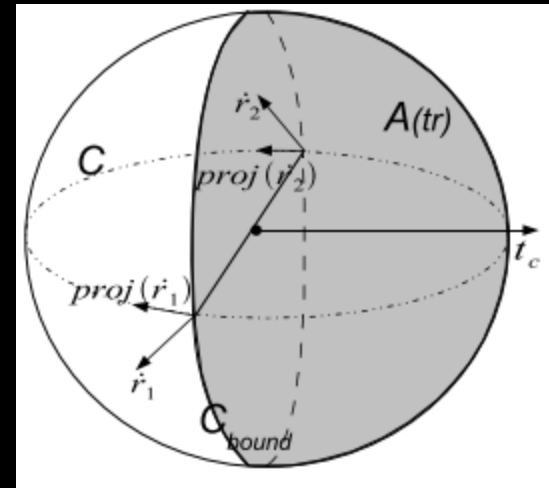
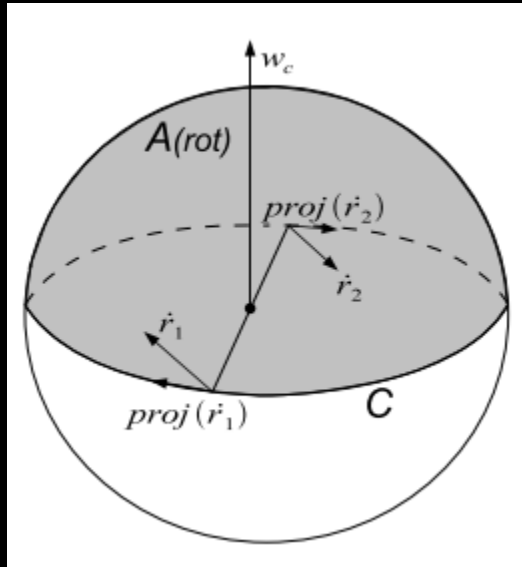
# The problem

- How do we ~~accurately~~ detect ego-motion using optical flow?
  - How do we recognize gestures with the device?
- 

# Antipode technique

- Based on the projection of the optical flow onto a great circle, we have two possible constraints:
  - If the projections are in the same direction, then we have a translation
  - If the projections are in opposite directions, then we have a rotation

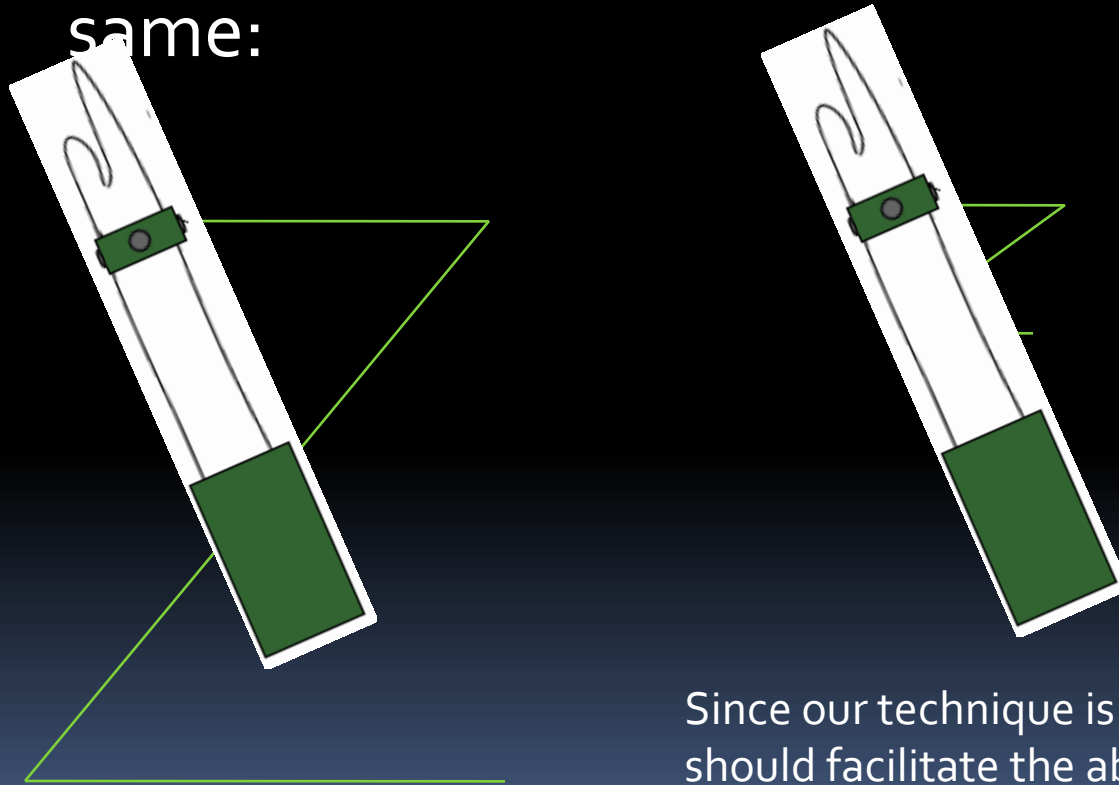
# Antipode technique



- The left shows a case where we would guess there is a rotation
  - The axis of rotation is always perpendicular to the great circle
- The right shows a case where we would guess a translation
  - The direction of translation is always parallel to the projection vectors

# Good!

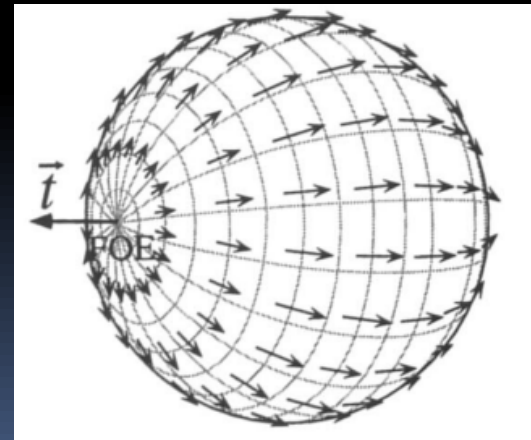
- For gestures, we want the following to be the same:



Since our technique is not concerned with scale, it should facilitate the above idea

# Problem!

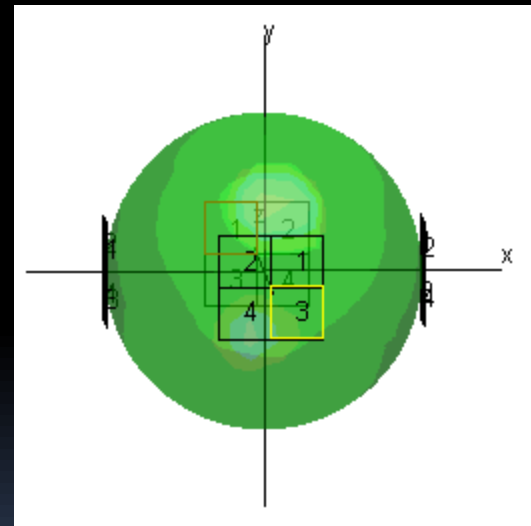
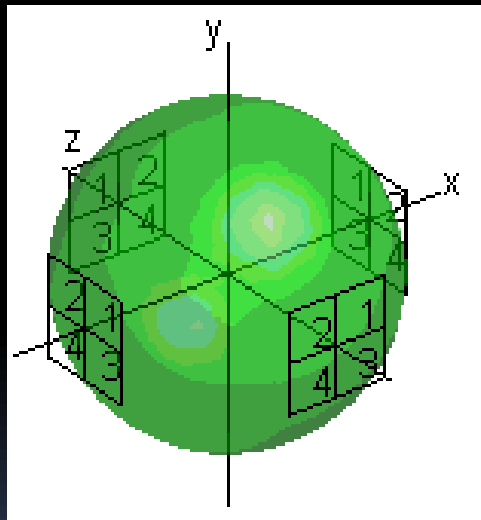
- Our system is not spherical
- How can we get the actual DOT and AOR?
  - Short answer: We don't. Well, we can't...
  - Instead, get a close guess that is within a cone of the actual answer



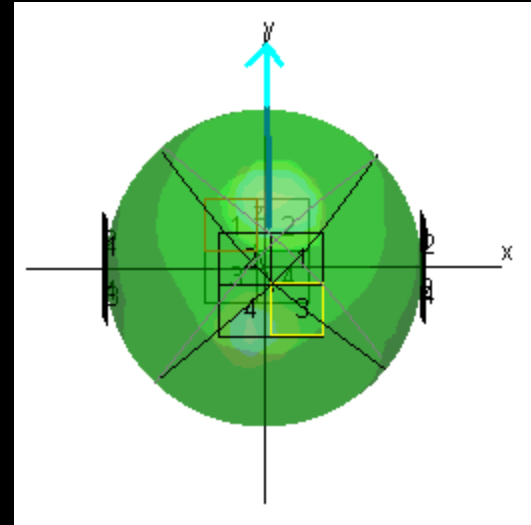
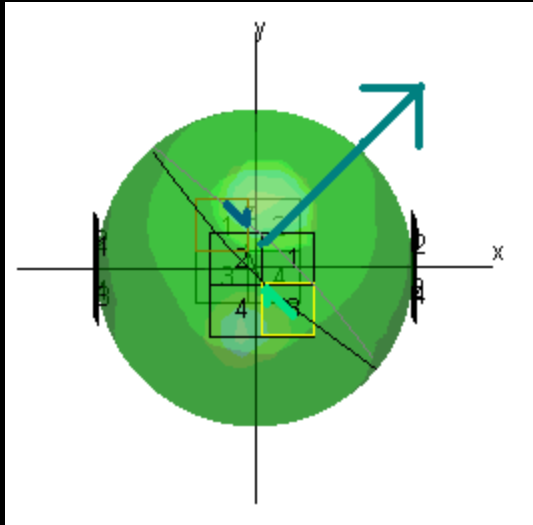
Brodsky et al

# The technique

- Number the image plane into four or six sections
- Average the optical flow in each section



# The technique

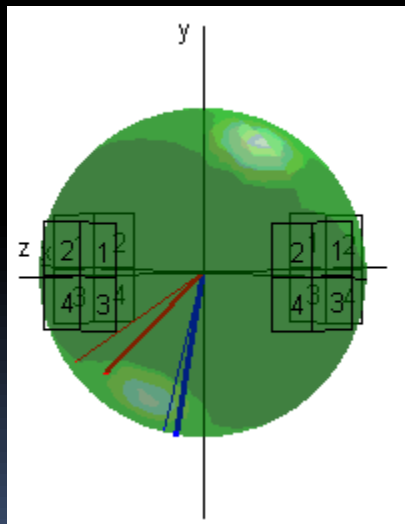


- The less great circles we use, the less accuracy.
- However, the number of great circles is limited by our system

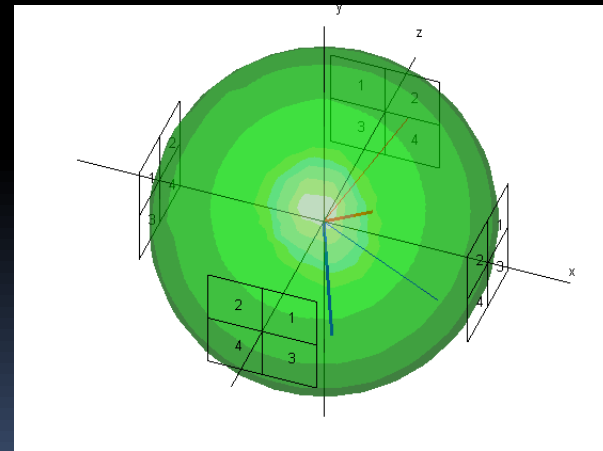


# Preliminary Results

- Thin red lines are the actual DOT
- Thin blue lines are the actual AOR
- Our results in thick lines




$$\text{AOR} = [0, -3, 1]$$
$$\text{DOT} = [1, -2, 3]$$



$$\text{AOR} = [3, -4, 2]$$
$$\text{DOT} = [1, 0, 7]$$



# The future

- Compute the math behind the technique
  
  - Classify gestures
- 

# Questions?

